

# Practice Problems For Chapter 13

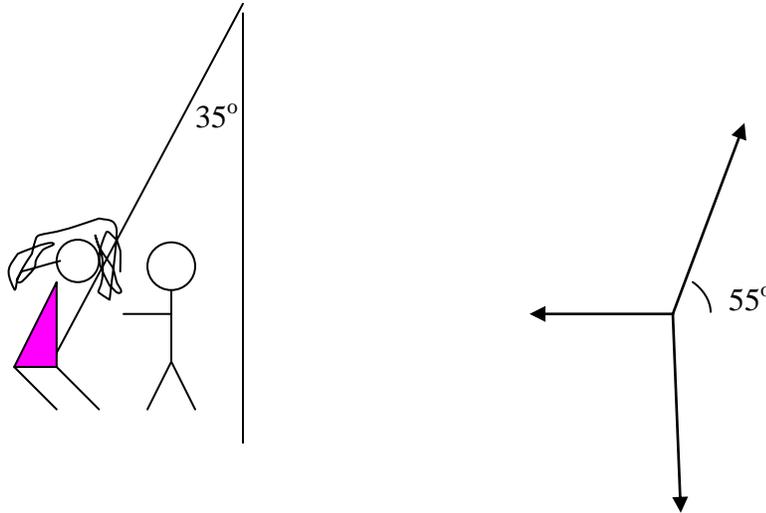
The problems and solutions that follow were designed by students. Although I have checked them, there are very possibly a few errors here and there. If you notice a mistake and turn in a typed correction, you will receive two extra homework points. You may also write new homework problems to add to any chapter and receive between 2 and 5 homework points per problem (see syllabus for details.) Please note: since these problems were written by students, the teacher takes no responsibility for errors – in other words, if there is a mistake and you make the same mistake on a test, you will not get credit for that mistake.

In the problems below, I have highlighted what I feel are the best problems to study prior to tests. The other problems are all ok, but they tend to be very easy problems or repeats of homework problems with slight variations. You may want to start with a few of the regular problems as warm up and then move on to the highlighted problems.

Chapter 13 Practice Problems

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1. Jack pushes Jill on a swing using 500 N of force. The angle between the swing chain and the vertical bar is  $35^\circ$ . How much does Jill weigh?



Fontaine Foxworth '07

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2. High Heels Part 2: How much pressure does an elephant wearing high heels exert on the floor?

Moritz Sudhof '07

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3. Mitchell places two fans so that they are facing each other, he then places a cart with low friction wheels and a sail directly in between the two fans. Fan A has a force of 20 N while Fan B has a force of 15 N. Describe what happens when both fans are turned on.

Karl Thumm '07

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4. A section of granite floor is capable of sustaining 500 P.A. of pressure. If a 2000kg rectangular weight of dimensions 10m X 4m is resting on it, will the granite floor break?

Dallas Griffin (class of 2008)

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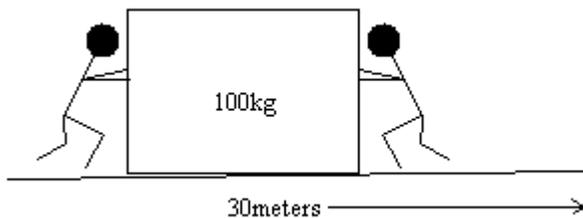
5. Mr. Laba has had a terrible rodent problem recently. He decides to set a trap for the pesky varmint. He sets up a pulley and threads a string through it. On one end of the string is a hanging

weight with a mass of 10 kg and on the other end is a cage that will trap the mouse. The cage is above a piece of cheese on the ground that hopefully the mouse will go and eat so that Mr. Laba can have enough time to release the trap. The weight is pulled down 2m and held in place so that the cage hangs above the cheese. When the mouse comes to eat the cheese, Mr. Laba releases the 10kg weight and it takes 5sec for the cage to fall to the ground and trap the mouse. What was the mass of the cage that trapped the mouse?

Connor Nickell '08

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6. There's a wild new sporting event in which teams try to push against a block and move it 30m from where it starts. Each team pushes on either side of the block with 10 members. Whoever can push the block, which has a mass of 100kg, the 30m in 60sec wins the match. The twist is that every 12 meters that a team pushes the block they can add another man to help push, as long as when they've reach 12m and added a new man, they start over with a velocity of 0m/s. If Team Jackalope pushes with 98N total and Team Chupacabra with 10N per person (including ones being put in every 12m) would team Chupacabra push the block enough in the time given to win?



Connor Nickell '08

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7. For obvious reasons, men on stilts are not allowed in rooms with styrofoam floors. If Styrofoam floors collapse under pressures above 24,000 ppi and a stilt man accidentally wanders in wearing stilts with a radius of .05 meters and weighing 50 kg, would he Styrofoam floor be pierced?

John Wheeler (class of 2008)

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8. A stilt man and women wearing incredibly high heels decide to have a contest over who can put the most pressure on any given floor (it could happen...). The man's stilts have a diameter of .1 m and the women's high heels have an area of .009 m<sup>2</sup> each. If the man weighs 47 kg and the women weighs 43 kg, who will win the contest.

John Wheeler (class of 2008)

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9. An unusually clever stilt man decides to see if pressure changes when traveling in an elevator. Coating the floor of the elevator a few feet thick in magical silly putty which rests the standard

pressure of the stilts exactly midway between the bottom and the top of the silly putty, the stilt man first goes up and later goes down in the elevator. If a lower pressure will cause the man to rise and a higher pressure will cause the man to sink, what will be the course of the ingenious stilt man?

John Wheeler (class of 2008)

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10. What are the smallest shoes (in terms of square meters of the soles) that a 150 kg man could wear when walking on a floor that collapses under 25,000 ppi?

John Wheeler (class of 2008)

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11. Somehow, a glitch in time occurs and your car is transplanted onto a possum. If your car is 4000 kg, a possum is crushed at 15,000 ppi, and at any given time only .4 sq. meters of each tire is touching the ground, will the possum get crushed under one of your tires?

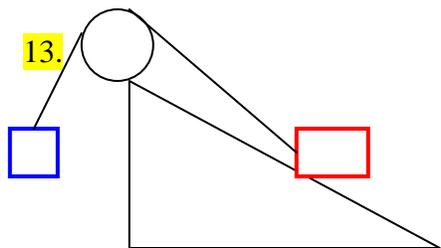
John Wheeler (class of 2008)

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12. Imagine that you find a pin so small that it is virtually invisible. If the tip of the pin is only .000001 sq. meters, how hard would you have to push to penetrate a metal from mars that resist a pressure of 500,000,000 ppi? Is this possible for a mere mortal?

John Wheeler (class of 2008)

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If the mass of the red block is 3 kg, and mass of the blue block is 1.26, and the system is in equilibrium, what angle is the plane rising at?

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15.



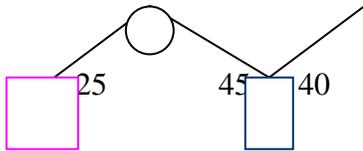


20°

Klaus's push.

What will the change be in the tension on the string? What is the force of Klaus' push?

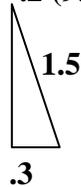
19.



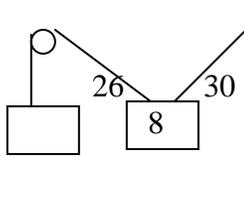
The pink block is 2 kg. how much does the blue block weigh if equilibrium is maintained?

20. A yoyo is hanging by a 1.5 m string. If the yoyo is .2 kg, what is the tension in the string? If someone pushed the yoyo .3 m to the left, what would the tension of the string be then?  
Franci Rooney '08

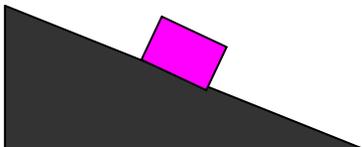
$$T = G = .2 (9.8) = 1.96$$



21. What should the mass of the second block be for the system to be in equilibrium?



22.



In a FedEx factory, a box is dropped down the chute to be packaged. If the chute is elevated at  $30^\circ$  and the box is 5 kg (it's a Barbie doll for Suzie), what is the acceleration of the box?

Francie Rooney ('08)

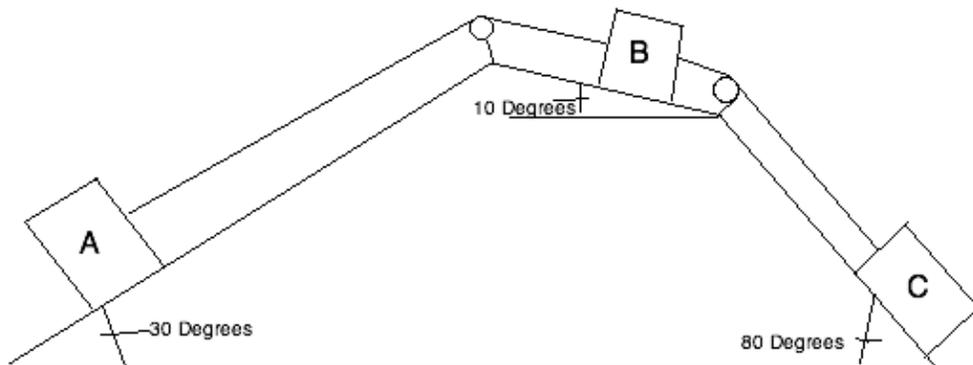
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23.)

In the following diagram:

- a. Find the forces acting on each object.
- b. If  $A = 2000\text{ g}$  and  $B = 1500\text{ g}$ , then what is the value of  $C$  if the system is in equilibrium

Matthew Porter (class of 2010)



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24. A tetherball is held out from the pole it's attached to, making a  $23^\circ$  angle. What force is needed to keep the ball still if it weighs 2 kg?

Bethany Berg (class of 2011)

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25. While trying to hold a 90kg rock on a frictionless hill that makes an  $18^\circ$  angle with the horizontal, how much force will be needed in the push to keep the rock steady?

Bethany Berg (class of 2011)

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26. There was a 25 kg box and three forces acted on it. The first force pushed with 15 N at 30 degrees. The second force pushed with -29 N at 120 degrees. The third force pushed with 13 N at 350 degrees. How far does the object move after 10 seconds and in what direction?

Bethany Berg (class of 2011)

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## Chapter 13 Solutions

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1. A.  $\Sigma F_x = 0 = P - T_x$                        $P = T_x$   
 $500 = T \cos 55$   
 $T = 871.7$   
 $\Sigma F_y = 0 = T_y - mg$                        $T_y = mg$   
 $871.7 \sin 55 = mg$   
Jill weighs 714.07 N

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2. Mass of an elephant = 2,000 kg  
Area of high heels =  $0.002 \text{ m}^2$

$$P = F/A$$
$$P = (2000)(9.8)/(0.002)$$
$$P = 9800000 \text{ Pa}$$

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3. Fan A exerts a force 5 N greater than Fan B. This will cause the cart to move towards Fan B. However Fan B is still exerting a force on the sail as well as one on Fan A just as Fan A is exerting a greater force on both the fan and Fan B.

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4.  $ma = f$   
 $(2000 \text{ kg})(-9.8) = F$   
 $F = -19,600 \text{ N}$

$$P = F/A$$
$$= 19,600 \text{ N} / 40 \text{ m}^2$$
$$= 490 \text{ P.A.}$$

500 P.A. > 490 P.A.  
No, the floor will not break.

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5.  $t = 5 \text{ sec}$   
 $V_i = 0 \text{ m/s}$   
 $\Delta x = 2 \text{ m}$   
Mass of hanging weight (mg) = 10 kg  
 $T = ?$   
Mass of Crate ( $m_c$ ) = ?

$$\Delta x = V_i(t) + (1/2)a(t^2)$$
$$(2) = (1/2)a(5^2)$$
$$4 = 25a$$
$$.16 \text{ m/s}^2 = a$$

$$\Sigma F = ma$$

$$T - mg = ma$$

$$T - (10)(9.8) = 10(.16)$$

$$T - 98 = 1.6$$

$$T = 99.6\text{N}$$

$$\Sigma F = m_c a$$

$$m_c g - T = m_c a$$

$$-T = m_c(.16) - m_c(9.8)$$

$$T = m_c(9.8) - m_c(.16)$$

$$(99.6\text{N}) = m_c(9.8 - .16)$$

$$99.6 = 9.64m_c$$

$$10.33\text{kg} = m_c$$

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6. Team Chupacabra = 100N  
Team Jackelope = 98N  
Mass of Block = 100kg  
Distance to add a man = 12m

$$\Sigma F = ma$$
$$100N - 98N = (100\text{kg})a$$
$$.02\text{m/s}^2 = a$$

$$\Delta x = .5(a)(t^2)$$
$$12 = .5(.02)(t^2)$$
$$34.64\text{sec} = t$$

$$\Sigma F = ma$$
$$110N - 98N = (100\text{kg})a$$
$$.12\text{m/s}^2 = a$$

Therefore adding one man means adds .10 m/s<sup>2</sup> to the original acceleration (.02m/s<sup>2</sup>).

$$\Delta x = .5(a)(t^2)$$
$$12 = .5(.12)(t^2)$$
$$14.14\text{sec} = t$$

Total time so far = 48.78s  
Total distance so far = 24m

$$.12 + .10 = .22\text{m/s}^2 = a$$

$$\Delta x = .5(a)(t^2)$$
$$12 = .5(.22)(t^2)$$
$$10.44\text{sec} = t$$

Total time so far = 59.22sec

Total distance so far = 36m

Therefore Team Chupacabra will win in time because they make it 36m at approximately a minute and they only have to move the block 30m to win.

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7.  $A = (3.14)(r^2)(2)$   
 $A = .0157 \text{ m}^2$   
 $P = F/A$   
 $P = (50)(9.8)/(.0157) = 31,210$   
There goes the floor.

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$$8. A = (3.14)(r^2)(2)$$

$$A = .0157 \text{ m}^2$$

$$P = F/A$$

$$P = (47)(9.8)/(.0157) = 29,938 \text{ for man}$$

$$A = .018 \text{ m}^2$$

$$P = F/A$$

$$P = (43)(9.8)/(.018) = 23,411 \text{ for women}$$

The man wins the contest!!

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9. As the elevator goes up, the stilt man will sink to the bottom of the silly putty because an increased normal force will increase the pressure. When the elevator goes down, the man will rise to the very top of the silly putty because a decreased normal force will cause the pressure to decrease in turn.

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$$10. P = F/A$$

$$P = (150)(9.8)/(A) = 25,000$$

$$A = .0588 \text{ sq. meters}$$

$$A/2 = .0294 \text{ sq. meters (Two shoes)}$$

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$$11. P = F/A$$

$$P = (4000)(9.8)/(.4)(4)$$

$$P = 24,500$$

24,500 > 15,000 so the possum is crushed!!

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$$12. P = F/A$$

$$P = (F)/(.000001) = 500,000,000$$

$$F = 500 \text{ ppi}$$

It's easy

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$$13. \text{RED } E_{fx} = T - 29.4\cos\theta = 0$$

$$\text{RED } E_{fy} = N - 29.4\sin\theta = 0$$

$$\text{BLUE } E_{fx} = 0$$

$$\text{BLUE } E_{fy} = T - (1.26*9.8)$$

$$T = 12.348$$

$$12.348 - 29.4\cos\theta = 0$$

$$\cos^{-1}.42 = 65.16^\circ$$

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14.  $E_{fx} = T_2 \cos 80 - T_1 \cos 20 = 0$   
 $E_{fy} = T_2 \sin 80 + T_1 \sin 20 - (20 \cdot 9.8) = 0$   
 $T_2 \sin 80 + T_1 \sin 20 = 196$   
 $T_2 \sin 80 = 196 - T_1 \sin 20$   
 $T_2 = (196 - T_1 \sin 20) / \sin 80$   
 $(196 - T_1 \sin 20)(\cos 80) / \sin 80 - T_1 \cos 20 = 0$   
 $T_1 = 223$   
 $T_2 = 1207$

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15. RED  $E_{fx} = 19.6 \cos 240 + T = 0$   
 $T = 9.8$   
 GREEN  $E_{fx} = 9.8 \cos 140 + T \cos 60 = 0$   
 $T = 15.01$   
 BLUE  $E_{fx} = 15.01 \cos 155 + T \cos 32 = 0$   
 $T = 16.04$ , this will be the tension put on his arm.

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16. Pressure = Force/Area  
 Shondra's pressure =  $50 \cdot 9.8 / .00008 \text{ m}^2$ , or 6125000  
 LaShondra's pressure  $30 \cdot 9.8 / 9187500$   
 LaShondra puts more pressure on the ground, 33 1/3% more, actually.

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17.  $P = f/a$ . The force acting is the gravitational force, therefore  $F = .2 \text{ kg} \cdot 9.8$ . the area is the amount of space in contact with your finger, or  $.0003 \text{ m}^2$ . Therefore, the pressure on your finger is 6533 Pascals. With the rain, the pressure is 13,200 Pascals.

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18. The first thing to do would be to determine the force on the string without the push. This is opposite to the gravitational force, since the yoyo is in equilibrium. Therefore, it is equal to 9.8N.

Secondly, the force in concert with the push has to be determined.

$E_{fy} = \text{gravity} + \text{string in the y direction}$

$$E_{fy} = -9.8 + T \sin 70 = 0$$

$$E_{fx} = \text{Klause's Push} + T \cos 20 = 0$$

Both sums are equal to zero because the system is in equilibrium.

$$T = 9.8 / \sin 70 = 10.42$$

$$\text{Klause's push} = -10.42 \cos 70, \text{ or } -3.566.$$

Klaus's push is 3.566 N, and the change in tension is from 9.8 to 10.42.

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19. Pink  $E_{fy} = T \sin 25 - (9.8 \cdot 2) = 0$

$$T = 19.6 / \sin 25$$

$$T = 46.377$$

$$\text{Blue } E_{fy} = -9.8 \cdot M + 46.377 \sin 135 + T_2 \sin 40$$

$$\text{Blue } E_{fx} = -46.377 \cos 135 + T_2 \cos 40$$

$$\text{Blue } E_{fy} = -9.8M + 32.793 + .642T_2$$

$$\text{Blue } E_{fx} = 32.793 + .766T_2$$

$$T_2 = 32.793 / .766 = 42.810$$

$$9.8M = 32.793 + .642(42.810)$$

$$M = 6.15$$

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20.  $\cos(.3/1.5) = 78.46$ , that's the angle you use with gravity for the second part of the problem.

Scenario 2  $\rightarrow E_{fy} = T - 1.96 \sin 78.46$

$$T = 1.92$$

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21.  $8(9.8) = t_1 \sin 30 + t_2 \sin 26$

$$T_1 \cos 30 = t_2 \cos 26$$

$$78.4 = t_2 \cos 26 \cdot \sin 30 / \cos 30 + t_2 \sin 26$$

$$t_2 = 50.55$$

$$9.8x = 50.55$$

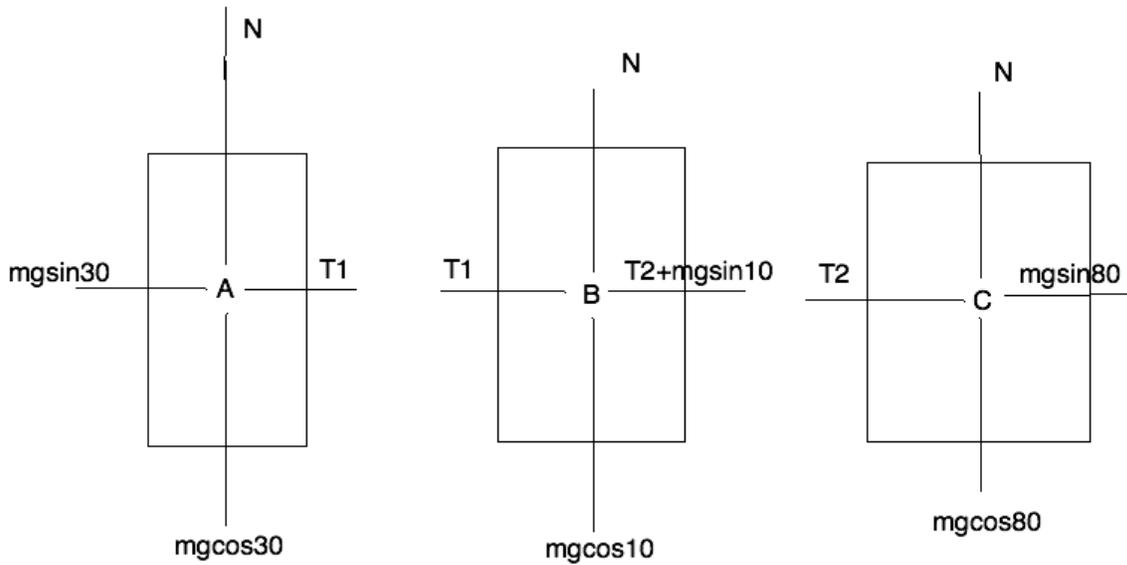
$$x = 5.15 \text{ kg}$$

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22. Set axes along the plane, so that the box is accelerating in the positive x direction. Therefore, to determine the acceleration,  $E_f = ma$  and  $E_f$  equals sum of the forces in the x direction.  $E_{fx} = 5 \cdot 9.8 \sin 60$ , or 42.43. Therefore,  $ma = 42.43$ . Since m is equal to 5,  $a = 8.486 \text{ m/s}^2$ .

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23.)



a.

b.  $mgsin30 = T_2m_2gsin10$

$$2(9.8)sin30 = T_2 + 1.5(9.8)sin10$$

$$9.8 = T_2 + 2.6$$

$$T_2 = 7.25 \text{ N}$$

$$7.25 = mgsin80$$

$$7.25 = m(9.8)sin80$$

$$m_c = 751.2 \text{ g}$$

24.

$$\sum F_y = 0$$

$$mg = T\cos23$$

$$2(9.8) = T\cos23$$

$$T = 21.29 \text{ N}$$

$$\sum F_x = 0$$

$$P = T\sin23$$

$$P = 8.319 \text{ Newtons}$$

25.

$$\begin{aligned}\sum F_x &= 0 \\ P &= mg \sin 18 \\ P &= 90(9.8) \sin 18 \\ P &= 272.55 \text{ N}\end{aligned}$$

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26.

$$\begin{aligned}\sum F_x &= ma \\ 15 \cos 30 - 29 \cos 120 + 12 \cos 350 &= 25a \\ A_x &= 1.57 \text{ m/s}^2\end{aligned}$$

$$\begin{aligned}\sum F_y &= ma \\ 15 \sin 30 - 29 \sin 120 + 12 \sin 350 &= 25a \\ A_y &= -.232\end{aligned}$$

$$\begin{aligned}A^2 &= 1.57^2 + -.232^2 \\ A &= 1.58 \\ \Delta x &= \frac{1}{2} at^2 \\ \Delta x &= .5(1.58)100 \\ \Delta x &= 79 \text{ meters}\end{aligned}$$

$$\begin{aligned}\text{Arctan}(-.232/1.57) &= -.8405 + 360 = 351.6 \\ 79 \text{ meters @ } &351.6 \text{ degrees}\end{aligned}$$